BY DOUGLAS L. SMITH AND EILEEN K. BARRETT

Research Laboratories, Eastman Kodak Company, Rochester, New York 14650, USA

(Received 31 December 1968)

The molecular structure of the unstable, low-melting $(175-177 \,^{\circ}\text{C})$ isomer of acetyl indazolinone, $C_9H_8N_2O_2$, has been determined from single-crystal, X-ray intensity data collected with an automated diffractometer. The crystals are monoclinic, space group $P2_1/n$, with four molecules in a unit cell of dimensions a=11.354, b=5.683, c=13.088 Å; $\beta=107.44^{\circ}$. The structure was solved by direct phasing of the structure amplitudes by the symbolic addition procedure and refined by full-matrix least-squares. Hydrogen atoms were located and refined. The final value of the discrepancy index is R=0.039 for 1283 reflections. The results show that the unstable isomer is 2-acetyl-3-indazolinone.

Introduction

The use of 3-indazolinone and certain substituted 3indazolinones as coupling agents for the production of color photographic images has been the subject of several patents (Barr, Henn & Salminen, 1962; Jennen & Eerdekens, 1954, 1960; Jennen, 1953, 1954). In particular, acetylation of 3-indazolinone under certain conditions leads to either of two isomers, 1-acetyl-3indazolinone (A) or 2-acetyl-3-indazolinone (B) (Jennen, 1957; Jennen & Eerdekens, 1954). The lower melting isomer (hereafter called AIU) is unstable and is converted to the higher melting isomer (hereafter called AIS) in alkaline solution at room temperature or by heat (Young, 1965; Jennen, 1957). Reports in the literature (Janssen, 1962; Jennen, 1957) have supported the view that 2-acetyl-3-indazolinone (B) is the unstable isomer, AIU. However, some work in our laboratories (Young, 1965), involving direct synthesis of the couplers and the nature of the dyes formed on development, would be more easily explained if 2-acetyl-3-indazolinone (B) were the stable isomer, AIS.



To resolve this ambiguity in structure assignment, we have determined the crystal and molecular structure of AIU by single-crystal, X-ray diffraction techniques. The structure ultimately found for this isomer is 2-acetyl-3-indazolinone.

Experimental

Samples of both isomers were supplied by D. V. Young, of these laboratories. The sample of AIU already contained suitable single crystals; recrystallization of AIS

Table 1. *Crystal data for* AIU O₂, M.W. 176·18, m.p. 175-1

m.p. 175-177° $C_9H_8N_2O_2$, 2-Acetyl-3-indazolinone. Colorless, irregular plates. Monoclinic (Cu $K\alpha_1 = 1.54051$ Å), $a = 11.354 \pm 0.001 \text{ Å}$ $b = 5.683 \pm 0.001$ $c = 13.088 \pm 0.001$ $\beta = 107.44 \pm 0.01^{\circ}$ Volume of unit cell, 805.7 ± 0.3 Å³. Density, calculated (Z=4)1.452 g.cm-3 measured (flotation) 1.44 g.cm-3 Linear absorption coefficient, $\mu = 8.9 \text{ cm}^{-1}$ (Cu Ka) Total number of electrons per unit cell F(000) = 368Absent spectra: h0l for h+l odd, 0k0 for k odd Space group $P2_1/n$ (C^{5}_{2h}) General positions: $\pm (x, y, z; \frac{1}{2} + x, \frac{1}{2} - y, \frac{1}{2} + z)$.

from acetone yielded satisfactory crystals. Small crystals of both materials were attached to thin glass rods with Canada balsam. Space group extinctions and preliminary lattice dimensions were obtained from precession photographs.

(A), AIS

The colorless acicular (b) crystals (m.p. 213-216 °C) are monoclinic with cell parameters:

 $a = 17.02 \pm 0.03, b = 5.29 \pm 0.01, c = 9.02 \pm 0.02 \text{ Å}, \beta = 100.4 \pm 0.1^{\circ}.$

Systematic absences are h0l for h+l odd and 0k0 for k odd. These absences are consistent with space group $P2_1/n$ (C_{2h}^5). Four molecules per unit cell give a calculated density of 1.46 g.cm⁻³ in agreement with the observed density of 1.47 g.cm⁻³ obtained by flotation. No further work has been done with this isomer since the crystals are small and of generally poor quality.

(B), AIU

Some difficulty was experienced in finding untwinned crystals of AIU, but eventually an untwinned, irregular, platy crystal approximately $0.57 \times 0.34 \times 0.05$ mm was chosen for intensity data collection on an automatic Picker four-circle goniostat. Narrow source, opencounter ω scans (Furnas, 1957) through several reflections showed the mosaicity to range from 0.15° to 0.25° for various directions in the crystal. Twenty-five reflections at moderately high Bragg angles (Cu Ka radiation) were accurately centered through very narrow vertical and horizontal slits at a take-off angle of 0.5° . These observations were used as input to the computer program PICK2 (Ibers, 1966) which refined the cell and orientation parameters by the method of least-squares and generated the cards to control the automated goniostat. The refined cell parameters as well as other crystal data are given in Table 1.

Intensity data were collected with Ni-filtered Cu radiation at a take-off angle of 2.0°. A scintillation detector was used and the pulse-height analyzer was set for an approximately 90% window. All 1377 unique reflections for $2\theta < 130^{\circ}$ were measured by the $\theta-2\theta$ scan technique (Furnas, 1957) at a 2θ scan rate of 1.0° min⁻¹. The scan range varied from 1.6° at low 2θ to 3.7° at high 2θ . Stationary crystal-stationary counter background counts were taken for 40 sec at each end of the scan. For count rates above 13,000 c.p.s. brass attenuators (~68% attenuation) were automatically inserted in the diffracted beam by the Picker system.

To check electronic and crystal stability during the period of data collection, the intensity of the 216 reflection was measured every 50th reflection. The small ($\sim 2\%$) systematic decrease observed in this standard intensity over the period of data collection was not considered to be significant. The standard deviation of 216, calculated from 31 observations, was 2.7 times what one would expect on the basis of counting statistics alone.

The reduction of the intensity data to structure amplitudes was accomplished with the computer program *DACOR* written by one of us (DLS). The background for a reflection was approximated by a straight line between the two measured background points. The intensities, corrected for background, were next corrected for Lorentz and polarization effects but not for absorption. Standard deviations $\sigma(I)$ were based on counting statistics and were corrected to $\sigma(F)$. Of the 1377 measured reflections, 110 were less than $2\sigma(I)$ and were considered as unobserved. The intensities of these unobserved reflections were then set equal to $2\sigma(I)$ and corrected to structure amplitudes, F_{lim} .

Determination and refinement of the structure

The structure was solved by the direct phasing of the structure amplitudes by the symbolic addition procedure of Karle & Karle (1966). The magnitudes of the normalized structure factors, $|E_{\rm H}|$, were computed from

$$E_{\rm H}^2 = F_{\rm H}^2 / \varepsilon \sum_{j=1}^N f_{j{\rm H}}^2$$

where $\varepsilon = 2$ when **H** is hol or 0k0, $\varepsilon = 1$ otherwise, N is the number of atoms in the unit cell, f_{iH} is the atomic scattering factor for the *j*th atom, and the F_{H}^{2} have been placed on an absolute scale and corrected for thermal motion by means of a least-squares fit of a Wilson (1942) plot.

The computer program ESORT, written by one of us (DLS), was used to calculate the statistical averages shown in Table 2 for the normalized structure factors. Comparison of these values with theoretical values (Hauptman & Karle, 1953) confirmed the centric space group. Unobserved reflections were included in the Wilson plot and in the statistical averages as $E_{1im}^2/3$ (Hamilton, 1955). The same program listed all triplet interactions $E_{\rm H}$, $E_{\rm K}$, and $E_{\rm H-K}$ for all |E| > 2.0 and also those interactions of $|E_{\rm H}| > 1.6$ with $|E_{\rm K}|$ and $|E_{\rm H-K}| > 1.4$ to facilitate the application of the Σ_2 relationship,

$$SE_{\mathbf{H}} \sim S\Sigma E_{\mathbf{K}} E_{\mathbf{H}-\mathbf{K}}$$
,

of Hauptman & Karle (1953) used in the symbolic addition procedure.

Table 2. Statistical averages of |E|

		Theoretical			
	Experimental	Centric	Acentric		
$\langle E \rangle$	0.811	0.798	0.886		
$\langle E^2 - 1 \rangle$	0.995	0.968	0.736		
$\langle E^2 \rangle$	1.034	1.000	1.000		

Three linearly independent reflections with large E magnitudes and many interactions were assigned positive signs to specify the origin. Later phases a, b and c were assigned in sequence to three additional reflections in order to proceed with the phase determination. With these six assignments (Table 3) the phases of 218

of the 237 reflections with |E| > 1.4 were expressed in terms of +, -, or functions of *a*, *b*, and *c*. No phase indication was accepted unless the probability that it was correct was greater than 0.97, as calculated from Woolfson's (1954) formula,



Fig. 1. Configuration, labeling, and interatomic distances and angles for AIU.

$$P + (E_{\rm H}) = \frac{1}{2} + \frac{1}{2} \tanh (\sigma_3 / \sigma_2^{3/2}) |E_{\rm H}| \sum_{\rm K} E_{\rm K} E_{\rm H-K},$$

where $\sigma_n = \sum_{j=1}^{N} Z_j^n$. From interactions among the signs

it soon became evident that *a* was probably –. Later evidence indicated that both *b* and *c* were probably +. The three-dimensional *E* map (Karle, Hauptman, Karle & Wing, 1958), calculated with this most consistent set of phases, yielded all 13 heavy atoms for which the discrepancy index $R_1 = \Sigma ||F_o| - |F_c^*|| / \Sigma |F_o|$ was 0.27.

Table	3.	Starting	set	of	phases
I GOIO	~.	Signing	DUL	~	pricebeb

A full-matrix least-squares refinement was then made with the use of all observed reflections plus those unobserved reflections for which $|F_c^*| > F_{\text{lim}}$. The quantity minimized was $\Sigma w(|F_o| - |F_c^*|)^2$ where

$$F_c^*| = KF_c[1 + g\left(\frac{1 + \cos^4 2\theta}{(1 + \cos^2 2\theta)\sin 2\theta}\right) F_c^2]^{-1/2} = KF_c/G,$$

in which K is the scale factor, g is the extinction parameter (Zachariasen, 1963; Larson, 1967), and F_c is the



Fig. 2. [010] projection of the structure.

usual calculated structure factor. The weights were defined as

$$w = [\sigma^2(F_o) + (0.03 F_o)^2]^{-1}$$
.

Two cycles of least-squares refinement with isotropic temperature factors followed by two cycles with anisotropic temperature factors reduced R_1 to 0.080. A difference Fourier synthesis clearly showed the 8 hydrogen atoms. The hydrogen atoms were assigned isotropic temperature factors and refinement was resumed with all parameters except g allowed to vary. Four cycles resulted in $R_1 = 0.044$ with only small $(<0.8\sigma)$ parameter shifts on the last cycle. Up to this point, g had been held equal to zero. Two refinement cycles in which only K and g were varied reduced R_1 to 0.039 and two more cycles in which all parameters were varied concluded the refinement. For the last cycle of refinement only three of the 151 parameters shifted more than 0.1 σ and the maximum shift was 0.29 σ . The final discrepancy indices for the 1267 observed reflections plus the 16 unobserved reflections with $|F_c^*| > F_{\lim}$ were $R_1 = 0.039$ and $R_2 = [\Sigma w (F_o - |F_c^*|)^2/$ $\Sigma w F_o^2 | ^{1/2} = 0.059$. The standard deviation of an observation of unit weight was 1.79. Of the 16 unobserved reflections with $|F_c^*| > F_{\text{lim}}$, none had $|F_c^*| > 1.5 F_{\text{lim}}$. It is interesting to note that all 218 phases originally derived from the Σ_2 relation were correct.

A final difference Fourier synthesis contained values between -0.20 and +0.30 e.Å⁻³ and thus verified the structure. However, the difference electron density was generally > 0 in the vicinity of the mean molecular planes, particularly between atoms, and <0 in the regions between the molecules. This systematic distribution of residual density is undoubtedly caused by the neglect of bonding effects on the atomic scattering factors; it has been observed by Cady (1967), Fritchie (1966) and Hanson (1966), among others, and is discussed in detail by Hirshfeld & Rabinovich (1967), O'Connell, Rae & Maslen (1966), Rae & Maslen (1965), Dawson (1965) and Stewart, Davidson & Simpson (1965).

The final positional and thermal parameters, with standard deviations estimated from the full-matrix least-squares process, are given in Table 4. The average standard deviations of the positional parameters expressed in Å are 0.0013 for O and N, 0.0015 for C, and 0.022 for H. Two other parameters refined in the least-squares process were the scale factor, $K=8.013\pm0.038$, and the extinction coefficient,* $g=(0.269\pm0.031)+10^{-4}$. The final values of the observed and calculated structure amplitudes are compared in Table 5.

The Fourier computer program used in this analysis was obtained from Professor J. Trotter (1965). The fullmatrix least-squares refinement utilized a modification of the Busing, Martin & Levy (1962) program ORFLS. The atomic scattering factors used for all atoms were obtained from International Tables for X-ray Crystallography (1962). All computations were performed on an IBM System 360 computer.

Description and discussion of the structure

The structure determination has shown that AIU is 2-acetyl-3-indazolinone. Thus AIS, the stable isomer,

Table 4. Final atomic parameters with their estimated standard deviations in parentheses

Thermal parameters are defined by the expression:

$$\Gamma_{i} = \exp\left[-\frac{1}{4}(B_{11}h^{2}a^{*2} + B_{22}k^{2}b^{*2} + B_{33}l^{2}c^{*2} + 2B_{12}hka^{*}b^{*} + 2B_{13}hla^{*}c^{*} + 2B_{23}klb^{*}c^{*})\right].$$

	x	У	Z	B_{11}	B_{22}	B ₃₃	B_{12}	B ₁₃	B_{23}
O(1)	0.34275 (11)	-0.28796(19)	0.79572 (9)	4.44 (5)	2.69 (5)	4.32 (5)	-0.72(4)	1.45 (4)	-0.63(4)
O(2)	0.31809 (13)	0·24484 (21)	1.01240 (10)	6·51 (8)	4·59 (6)	4.77 (6)	-1.23(5)	3.25 (6)	-1.74 (5)
N(1)	0.46770 (11)	0·25925 (20)́	0·89409 (10)	3.53 (6)	2·46 (5)	3.02 (5)	–0·51 (̀4́)	1.00 (4)	-0.25(4)
N(2)	0.38670 (10)	0·06660 (18)	0·88906 (̀9)	2·94 (5)	2·42 (5)	2·74 (̀5)	-0.26(3)	0·76 (4)	-0.11(3)
C (1)	0.39437 (12)	-0.09686(23)	0.81098 (10)	2.90 (6)	2.44 (6)	2.72 (6)	0·21 (4)	0·45 (4)	-0.11(4)
C(2)	0.47678 (12)	0.01186 (24)	0.75836 (10)	2.80 (5)	2.63 (6)	2.69 (5)	0.38 (4)	0·46 (4)	0.06 (4)
C(3)	0.51562 (14)	-0.06125(28)	0.67234 (12)	3.69 (7)	3.38 (7)	3.31 (6)	0.60 (5)	1.03 (5)	-0.27(5)
C(4)	0.59377 (14)	0.08456 (29)	0.63865 (13)	3.65 (7)	4.66 (8)	3.27 (6)	0.68 (5)	1.42 (5)	0.10 (5)
C(5)	0.63411 (14)	0·29745 (33)	0·69181 (12)	3.46 (6)	4·42 (8)	3.62 (7)	-0·01 (6)	1.19 (5)	0.64 (6)
C(6)	0.59648 (14)	0.37145 (27)	0.77726 (12)	3.52 (6)	3.31 (7)	3.30 (6)	-0·35 (5)	0.91 (5)	0.19 (5)
C(7)	0.51577 (12)	0.22491(23)	0.80915 (11)	2.89 (6)	2.57 (6)	2.53 (5)	0.27 (4)	0.45 (4)	0.14 (4)
C (8)	0.31131 (13)	0.07519 (26)	0.95528 (11)	3.46 (6)	3.48 (7)	2.63 (6)	-0·01 (5)	0.83 (5)	-0.01(5)
C(9)	0.22537 (16)	−0·12557 (33)́	0·94959 (14)	3.70 (7)	4·42 (8)	3•72 (7)	-0·79 (6)	1.43 (6)	-0·34 (6)
H(1)	0.4267 (17)	0.3971 (32)	0.8914 (14)	1.88 (36)					
H(3)	0.4906 (17)	-0.2194(33)	0.6386 (14)	1.64 (33)					
H(4)	0.6237 (19)	0.0365 (37)	0.5784 (16)	2.82 (40)					
H(5)	0.6956 (19)	0.3944 (34)	0.66666 (17)	2.83 (41)					
H(6)	0.6232(18)	0.5227(36)	0.8129 (16)	2.66 (38)					
H(91)	0.2701 (22)	-0·2715 (40)	0.9629 (17)	3.42 (48)					
H(92)	0.1748 (22)	-0.1411(41)	0.8761 (19)	3.80 (49)					
H(93)	0.1708 (21)	0·0951 (40)	0.9968 (19)	4•54 (55)					

^{*} A referee has noted that there has been an overcorrection for the extinction effect (see 202 and 212). This is undoubtedly a result of our method for determining g. We used a leastsquares procedure in which all reflections were included and which was biased against the stronger reflections by the weighting scheme. Thus g was probably determined mainly by the reflections which were least affected by extinction.

must be 1-acetyl-3-indazolinone. Fig.1 shows the labeling, configuration, and interatomic distances (uncorrected for thermal motion) and angles for the AIU molecule. Estimated standard deviations for the distances and angles were calculated from the coordinate standard deviations obtained in the least-squares process. The e.s.d.'s are less than 0.003 Å for heavy-atom separations and 0.03 Å for distances involving hydrogen atoms. The e.s.d.'s for the angles (Darlow, 1960) are less than 0.2° for heavy-heavy-heavy, 1.5° for heavy-heavy-hydrogen, and 2.0° for hydrogen-heavy-hydrogen.

Table 5. Observed and calculated structure factors for AIU The column headings are h, l, $10G|F_0|/k$ and $10F_c$. An asterisk designates 'less than'.

***** K= 0 ***** 52 62 23 3 11 73 41 5 6 30 113 109 198 43 10 86 44 104 86 44 20 19 43 20 19 43 544 253 39 73 39 57 31 114 170 46 45 99 0 38 21 18 63 43 1695480118440926097886 201332128348976675766710213351221217374 53312 92437 16697533115746049700900190161508533525403112575677765507770111596022445648219060775386121125748532221 4243 5235373487410412 53398659914 53398659914 53398659914 53398659914 53398659914 53398659914 53398659914 53398659914 5339859914 5339859914 5339859914 5339859914 5339859914 5339859914 5339859914 5339859914 5339859914 5339859914 533985914 5339985914 53399714 533985914 5339714 53395 49116335716030535780003332268238315576573957697751872121518132005012777658739141211121317332611867535401932014285032011291111111111895519144417880666557320112012682882883115528978645557396958132005128828828831155289786455573969588494940 148742233440646899910926770847288712489973288977387684622228065330960447567484992088881931187 38844212049635914855711212929412717771211112129296175468423592122209131561351422599484666612102296193255 012005177824242151742427 2 1918135281375927552229200502755862812073759031 101005177827649752340157629461053221177592755222920050275862812073754058 411 # 1 2042 32222 4131 5 000431841111413 # 84070122 42183 01 11 11 5 37 421141 24538262408785818381821131971224725815962818384815581838481558183818311319712247258159628183848155818384815581838183113197122472581596318336481838193581 $\begin{array}{c} 21338\\ 32508\\ 9027\\ 113046\\ 129760995\\ 52822\\ 114759\\ 80439\\ 8084113\\ 3204699\\ 81113\\ 3204699\\ 81113\\ 3204699\\ 81113\\ 3204699\\ 81113\\ 3204699\\ 81113\\ 320469\\ 811113\\ 320469\\ 81113\\ 320469\\ 81113\\ 320469\\ 81113$ •••• к= 2 ••••• 0123456789011123401-1227374455607788991011111212333401-12272222222222222222 $\begin{array}{c} 26463\\ 4641\\ 1647\\ 22063\\ 22063\\ 2227\\ 22247\\ 557\\ 22247\\ 557\\ 2228\\ 4038\\ 2082\\ 20$ •••• 012345678901101127374455667788991011117011273344556677788990 $\begin{smallmatrix} 137 \\ 568 \\ 985 \\ 511 \\ 618 \\ 985 \\ 110 \\ 117 \\ 128 \\ 612 \\ 111 \\ 100 \\ 10$ ••••• K= 3 ••••• 8-9999999999999 10000

Table 5 (cont.)

 Table 6. Short intermolecular contacts

Hydrogen bond									
$N(1) \cdots O(1^i)$	$= O(1) \cdots N(1^{ii})$	3·033 Å							
$H(1) \cdots O(1^{i})$	$= O(1) \cdots H(1^{ii})$	2.228							
Heavy atom contacts < 3.5 Å									
$O(1) \cdots N(2^{iii})$	$= N(2) \cdots O(1^{iv})$	3.089							
$O(1) \cdots C(1^{iii})$	$= \mathbf{C}(1) \cdots \mathbf{O}(1^{\mathbf{iv}})$	3.167							
$N(1) \cdots C(8^v)$	$= \mathbf{C}(8) \cdots \mathbf{N}(1^{\mathbf{v}})$	3.291							
$O(1) \cdots C(8^{111})$	$= \mathbf{C}(8) \cdots \mathbf{O}(1^{\mathrm{iv}})$	3.318							
$N(2) \cdots N(2^{v})$	-C(7) $O(11)$	3.339							
$\mathbf{U}(1)\cdots\mathbf{U}(1)$ $\mathbf{N}(1)\cdots\mathbf{N}(2\mathbf{v})$	$= \mathbf{U}(1) \cdots \mathbf{U}(1^{1})$ $= \mathbf{N}(2) \cdots \mathbf{N}(1^{1})$	3.369							
$O(2) \cdots O(6^{vi})$	$= N(2) \cdots N(1^{n})$ = C(6) O(2 ⁿ)	3.117							
$O(2) \cdots O(1^{v})$	$= C(1) \cdots O(2^{v})$	3.401							
Heavy atom hudrog	$= \mathcal{O}(1) \mathcal{O}(2)$	5471							
O(2) U(Cvi)	en contacts < 3.0 A								
$O(2) \cdots H(0^{1})$ $C(7) \cdots H(0^{2})$	$= \mathbf{H}(0) \cdots \mathbf{O}(2^{n})$ $= \mathbf{H}(0^{2}) \cdots \mathbf{O}(7^{n})$	2.33							
$O(2) \cdots H(91i)$	$= H(91) \cdots O(2ii)$	2.03							
$C(2) \cdots H(92^{iv})$	$= H(92) \cdots C(2^{iii})$	2.85							
$O(2) \cdots H(4^{vii})$	= H(4)····O(2 ^{viii})	2.88							
$O(2) \cdots H(5^{vii})$	$= H(5) \cdots O(2^{viii})$	2.88							
$C(6) \cdots H(3^{i})$	$= H(3) \cdots C(6^{ii})$	2.97							
$O(1) \cdots H(92^{iii})$	$= H(92) \cdots O(1^{iv})$	2.98							
Hydrogen-hydrogen	contacts < 2.9 Å								
$H(5) \cdots H(93^{viii})$	= H(93) · · · H(5 ^{vii})	2.44							
$H(3) \cdots H(6^{ii})$	= H(6)····H(3 ⁱ)	2.75							
$H(4) \cdots H(6^{ix})$	= H(6) · · · · H(4 ^x)	2.80							
$H(4) \cdots H(93^{xi})$	$= \mathrm{H}(93) \cdots \mathrm{H}(4^{\mathtt{x}\mathrm{i}\mathrm{i}})$	2 ·84							
i	x 1+y z								
ii .	x - 1 + y = z								
	$-x - \frac{1}{2} + y = \frac{3}{2} - z$								
	$-x \frac{1}{2}+y \frac{3}{2}-z$								
v 1 vi 1	-x -y 2-2 -r 1-y 2-z								
vii -+	+x $+-y$ $+z$								
viii 1	$+x$ $\frac{1}{2}-y$ $-\frac{1}{2}+z$								
ix $\frac{3}{2}$	$-x -\frac{\overline{1}}{2} + y \frac{\overline{3}}{2} - z$								
X 3/2	$-x \frac{1}{2} + y \frac{3}{2} - z$								
x_{1}^{i}	$+x - \frac{1}{2} - y - \frac{1}{2} + z$								
$x_{11} - \frac{1}{2}$	$+x - \frac{1}{2} - y - \frac{1}{2} + z$								

The shorter intermolecular contacts, listed in Table 6, are consistent with van der Waals radii (Pauling, 1960) with the exception of $H(1)...O(1^{1})$ where a normal hydrogen bond occurs. The oxygen atom O(2) has several short intermolecular contacts but none short enough to be a hydrogen bond. Intramolecular hydrogen bonds which involve O(2) are ruled out since none of the intramolecular O...H distances is less than Bartell's (1960) hard-shell distances. Fig. 2 shows the packing of the molecules in the [010] projection of the structure. The hydrogen bonds join molecules in chains along **b**.

The bond distances and angles in AIU appear normal when compared with similar structures (Smith, 1969; Karle & Karle, 1967). The C-O bonds agree well with known ketonic C=O distances (Sutton, 1965). The fact that C(8)-O(2) is shorter than C(1)-O(1) is consistent with the hydrogen bonding. The C-H distances average 0.99 Å and N-H is 0.91 Å, both about 0.1 Å shorter than the true values but both agreeing with typical X-ray results. The C(8)-C(9) separation is normal for this type of single bond and the C(1)-C(2) bond (1.455 Å) is only slightly shorter than is considered normal (Lide, 1962). The N(1)-N(2) bond (1.419 Å) is somewhat shorter than the 1.45 Å for the N-N single bond in hydrazine (Sutton, 1965). The C-N bonds are all shorter than the unconjugated C-N single-bond length of 1.47 Å (Sutton, 1965) but are consistent with the observations of Karle & Karle (1967) for C-N bonds which involve trigonal carbon.

The C-C distances in the benzo ring average 1.388 Å and the C-C-C angles average 120.00°, both values in excellent agreement with the accepted values of 1.394 Å and 120.00°(Sutton, 1965). However, there is some systematic variation in these distances and angles. The bonds C(3)-C(4) and C(5)-C(6) (average 1.378 Å) are shorter than the bonds C(2)-C(3), C(6)-C(7) and C(7)-C(2) (average 1.390 Å), which are in turn shorter than C(4)-C(5) (1.402 Å). Likewise, the C-C-C angles at C(3) and C(6) are smaller than the other four angles of the benzo ring.

Table 7. Equations of least-squares planes and distances (Å) of atoms from these planes

X, Y and Z are expressed in Å units relative to the Cartesian axial system defined by the a, b and c^* axes. The planes were calculated by the method of Schomaker, Waser, Marsh & Bergman (1959) as modified by Blow (1960).

			Plane A: B: C: D: E: F:	-0.6160X + -0.6235X + -0.5115X + -0.6221X + -0.6038X + -0.5376X +	0.4694 <i>Y</i> - 0.6 0.4636 <i>Y</i> - 0.6 0.4640 <i>Y</i> - 0.7 0.4646 <i>Y</i> - 0.6 0.4746 <i>Y</i> - 0.6 0.1410 <i>Y</i> - 0.8	$5326Z = -7 \cdot 4$ $5296Z = -7 \cdot 4$ $5293Z = -8 \cdot 3$ $5302Z = -7 \cdot 4$ $405Z = -7 \cdot 5$ $5313Z = -9 \cdot 6$	456 476 148 473 062 608		
Plane A			Plane B			Plane C			
N(1) N(2) C(1) C(2) C(3) C(4) C(5) C(6)	$\begin{array}{c} 0.036 \\ - 0.044 \\ 0.018 \\ 0.015 \\ 0.010 \\ - 0.017 \\ - 0.011 \\ - 0.003 \end{array}$	C(7) *O(1) *C(8) *H(1) *H(3) *H(4) *H(5) *H(6)	$ \begin{array}{r} -0.002\\ 0.083\\ -0.231\\ -0.633\\ 0.073\\ -0.010\\ 0.022\\ -0.025\end{array} $	C(2) C(3) C(4) C(5) C(6) C(7) *N(1) *N(2)	$\begin{array}{c} 0.003 \\ 0.005 \\ - 0.009 \\ 0.004 \\ 0.005 \\ - 0.007 \\ 0.022 \\ - 0.071 \end{array}$	*O(1) *C(1) *C(8) *H(1) *H(3) *H(4) *H(4) *H(5) *H(6)	$\begin{array}{c} 0.047 \\ -0.009 \\ -0.269 \\ -0.646 \\ 0.062 \\ 0.004 \\ 0.047 \\ -0.012 \end{array}$	O(2) N(1) N(2) C(8) C(9) *C(1) *C(7) *H(1)	$ \begin{array}{r} -0.001 \\ -0.002 \\ 0.001 \\ 0.005 \\ -0.004 \\ -0.072 \\ -0.229 \\ -0.622 \\ \end{array} $
Plane I	D			Plane	E			Plane I	Г.
C(1) C(2) C(3) C(4) C(5) C(6) C(7)	$ \begin{array}{c} -0.003 \\ 0.006 \\ 0.006 \\ -0.010 \\ 0.002 \\ 0.005 \\ -0.005 \\ \end{array} $	*O(1) *N(1) *N(2) *H(3) *H(4) *H(5) *H(6)	$\begin{array}{c} 0.054 \\ 0.026 \\ -0.065 \\ 0.064 \\ 0.002 \\ 0.043 \\ -0.013 \end{array}$	N(1) N(2) C(1) C(2) C(7)	$ \begin{array}{r} 0.034 \\ -0.030 \\ 0.024 \\ -0.001 \\ -0.022 \end{array} $	*O(1) *C(3) *C(6) *C(8) *H(1)	$\begin{array}{r} 0.099 \\ -0.022 \\ -0.044 \\ -0.198 \\ -0.634 \end{array}$	N(2) C(7) H(1) *N(1)	0.000 0.000 0.000 0.382

* Not included in the calculation of the plane.

The overall pattern of bond lengths points to extensive conjugation of the molecule. Thus, it is not surprising to find that the atoms N(1), N(2), C(1)... C(7) which form the fused ring system all lie within 0.05 Å of a plane (A, Table 7). Consideration of the surrounding angles shows that C(1) and N(2) are coplanar with their immediate neighbors but that N(1) is tetrahedrally coordinated. In fact, N(1) lies 0.38 Å out of the plane (F, Table 7) of its neighbors, a value close to that for an ideal tetrahedron. Consequently, a better description of the molecule is given by two planes. The benzo group plus C(1) form a good plane (D, Table 7) and the group N(1), N(2), C(8), C(9), O(2) also form a good plane (C, Table 7). The dihedral angle between these planes is 8.3°.

References

- BARR, C. R., HENN, R. W. & SALMINEN, I. F. (1962). U. S. Patent 3,043,694.
- BARTELL, L. S. (1960). J. Chem. Phys. 32, 827.
- BLOW, D. M. (1960). Acta Cryst. 13, 168.
- BUSING, W. R., MARTIN, K. O. & LEVY, H. A. (1962). ORFLS: A Fortran Crystallographic Least-Squares Program. Publication ORNL-TM-305, Oak Ridge National Laboratory, Tennessee.
- CADY, H. H. (1967). Acta Cryst. 23, 601.
- DARLOW, S. F. (1960). Acta Cryst. 13, 683.
- DAWSON, B. (1965). Aust. J. Chem. 18, 595.
- FRITCHIE, C. J., JR (1966). Acta Cryst. 20, 27.
- FURNAS, T. C. (1957). Single Crystal Orienter Instruction Manual. Milwaukee, Wisconsin: General Electric Co.
- HAMILTON, W. C. (1955). Acta Cryst. 8, 185.
- HANSON, A. W. (1966). Acta Cryst. 21, 97.

- HAUPTMAN, H. & KARLE, J. (1953). Solution of the Phase Problem. I. The Centrosymmetric Crystal. Monograph No. 3, American Crystallographic Association.
- HIRSHFELD, F. L. & RABINOVICH, D. (1967). Acta Cryst. 23, 989.
- IBERS, J. A. (1966). Northwestern University, Evanston, Illinois. Private communication.
- International Tables for X-ray Crystallography (1962). Vol. III, p. 202. Birmingham: Kynoch Press.
- JANSSEN, R. (1962). Proc. Intern. Meeting Mol. Spectry. 4th, Bologna, 1959, 2, 820.
- JENNEN, J. J. (1953). Belgian Patent 514,576.
- JENNEN, J. J. (1954). U. S. Patent 2,673,801.
- JENNEN, J. J. (1957). Angew. Chem. 69, 732.
- JENNEN, J. J. & EERDEKENS, H. P. (1954). British Patent 720,284.
- JENNEN, J. J. & EERDEKENS, H. P. (1960). U. S. Patent 2,964,402.
- KARLE, I. L., HAUPTMAN, H., KARLE, J. & WING, A. B. (1958). Acta Cryst. 11, 257.
- KARLE, J. & KARLE, I. L. (1966). Acta Cryst. 21, 849.
- KARLE, J. & KARLE, I. L. (1967). J. Amer. Chem. Soc. 89, 804.
- LARSON, A. C. (1967). Acta Cryst. 23, 664.
- LIDE, D. R. (1962). Tetrahedron, 17, 125.
- O'CONNELL, A. M., RAE, A. I. M. & MASLEN, E. N. (1966). Acta Cryst. 21, 208.
- PAULING, L. (1960). The Nature of the Chemical Bond. Ithaca: Cornell Univ. Press. 3rd Ed.
- RAE, A. I. M. & MASLEN, E. N. (1965). Acta Cryst. 19, 1061.
- SCHOMAKER, V., WASER, J., MARSH, R. E. & BERGMAN, G. (1959). Acta Cryst. 12, 600.
- SMITH, D. L. (1969). Acta Cryst. B 25, 625.
- STEWART, R. F., DAVIDSON, E. R. & SIMPSON, W. T. (1965). J. Chem. Phys. 42, 3175.
- SUTTON, L. E. (1965). Interatomic Distances-Supplement.